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Apêndice A

Neste apêndice estão listados alguns dos algoritmos desenvolvidos para este trabalho. Os algoritmos foram escritos em Matlab[®] e permitem realizar o processamento dos dados, análise de velocidades e gradiente descendente.

Quadro 1 mostra um algoritmo inspirado numa das rotinas do *anray* (Anray, 2002) que permite que os sismogramas sejam criados no matlab através da leitura dos dados de um dos arquivos de saída do *anray*. Quadro 2 permite o sorteio dos dados em CMPs, calculando os pontos médios (e afastamentos) dos dados e agrupando juntos em uma matriz de 3 dimensões.

Quadro 3 mostra a correção de NMO a partir da equação para anisotropia VTI (Alkhalifah & Tsvankin, 1995), onde os parâmetros V_{RMS} e η já foram obtidos na análise de velocidade e são dados de entrada para este algoritmo. Parte da rotina foi retirada de um algoritmo desenvolvido pelo Crewes (Crewes, 2002). Quadro 4 mostra uma das rotinas desenvolvidas para aplicar ganho no dado sísmico, com um ganho variável (AGC) (Yilmaz, 2001).

Quadro 5 é o algoritmo que calcula a análise de velocidade por *semblance* baseado em Taner & Koehler (1969). O Quadro 6 permite que a função de velocidade seja escolhida através de marcação no gráfico com o mouse.

O Quadro 7 mostra a função que calcula os parâmetros de anisotropia a partir do resultado do gradiente descendente. Já o Quadro 8 mostra o cálculo dos gradientes das diferentes funções utilizadas pelo método para realizar análise de velocidade necessárias para a utilização no método do gradiente descendente.

```
clear all;
close all;
% OBS1: Requer arquivo plotsismica.m!
% OBS2: Requer executar o syntan antes!
% OBS3: usar no mesmo diretorio do anray!
dos('anray < arq.txt'); % Executa o anray</pre>
dos('syntan < arqsynt2.txt'); % Executa o syntan
xx = [];
smax = [];
tmin = [];
npts = [];
  = [];
fid=fopen('tlu4');
mtext = fgetl(fid);
line2 = fgetl(fid);
l2 = str2num(line2);
    mdist = l2(l); % Numero de receptores
mred = l2(2); % Reducao de tempo de transito 0-nao
1-sim
    mcomp = l2(3); % Componente plotada 0-vert 1-eixo_x
2-eixo_y
itpr = l2(4); % 0-receptores_na_superficie 1-VSP
vred = l2(5); % reducao de velocidade
rstep = l2(6); % passo de distancia entre
receptores
    xsour = 12(7);
                         % coordenada x da fonte
ysour = 12(8); % coordenada y da fonte
dt = 12(8); % coordenada y da fonte
dt = 12(9); % passo de tempo para o sismograma
line3 = fgetl(fid);
xmx = str2num(line3(23:32)); % receptor da amp
maxima
     smaxim = str2num(line3(42:56)); % amp maxima
     sismog = zeros(round(3/dt),mdist); % plotar para 5
segundos
    for i=1:mdist,
                            % Repete as duas linhas para
14 = str2num(line4);
         xx = [xx 14(1)]; % coordenada do receptor
smax = [smax 14(2)]; % amplitude maxima em xx
          tmin = [tmin 14(3)]; % tempo da primeira amp dif
de zero
         npts = [npts 14(4)]; % numero de pontos
          aux1 = 0;
          if npts(i) ~= 0,
               while aux1 < npts(i),
                   line5 = fgetl(fid); %{CONSERTAR USANDO 4
caracteres para cada 1}
                   for j=4:4:length(line5),
                        s = [s; str2num(line5(j-3:j))];
                   end;
                   aux1 = length(s); end;
               else
                   line = fgetl(fid);
              end;
          11 = round(tmin(i)/dt);
         (smax(i)/999.1)*s;
               else sismog(1:(npts(i)),i) =
(smax(i)/999.1)*s;
              end;
              s = [];
         end;
     end;
     xrec = xx;
     sismog = -sismog;
     save sismograma sismog xrec xsour ysour dt
     figure,
plotsismica(agc(sismog), xrec, 0:dt:((size(sismog, 1) -
1)*dt));
     title('Sismograma sintetico')
```

```
Quadro 1: Criação de sismograma no Matlab
```

```
offset = zeros(size(xrec));
cmp = zeros(size(xrec));
cmp = [];
n_off = [];
for i = 1:size(xrec,1),
    for j = 1:size(xrec,2),
         j = 1:0:0:0:0; j;
temp0 = xrec(i,j) - xsou(j);
offset(i,j) = (round(1000*temp0))*0.001;
temp = (xsou(j) + xrec(i,j))/2;
         cmp(i,j) = (round(1000*temp))*0.001;
    end;
end;
n_cmp = cmp(1,1);
n_off = offset(1,1);for i = 1:size(xrec,1),
    end;
end;
ncmp = sort(n_cmp);
noff = sort(n_off);
s_cmp = zeros(size(s,1),length(noff),length(ncmp));
for i = 1:size(xrec,1),
    for j = 1:size(xrec,2),
    for k = 1:length(noff),
              for l = 1:length(ncmp),
                  if
and (cmp(i,j) == ncmp(l), offset(i,j) == noff(k)),
s_cmp(:,k,l) = s(:,i,j); end;
             end;
         end;
    end;
end;
save cmpsorted s_cmp noff ncmp dt xsour ysour xrec
```

Quadro 2: Sorteio dos dados em CMPs

offset cmp

```
function [r,vel,nn] = nmo vti(data,offset,dt,V,n);
if length(V) == 1,
vel = V*ones(size(data,1),1);
else vel = V;
     while length(vel)<size(data,1)
         vel = [vel; vel(length(vel))];
    end;
end;
if length(n) == 1,
nn = n*ones(size(data,1),1);
else nn = n;
while length(nn)<size(data,1),</pre>
         nn = [nn; nn(length(nn))];
    end;
end;
tz = [0:dt:(size(data,1)-1)*dt];
t = tz';
r = zeros(size(data));
% Houl=Indof(H,t,V,X,HIF)
%compute the offset times
tx=sqrt(t.^2 + ((offset(i).^2)./(vel.^2)) -
((2*nn.*(offset(i).^4))./((vel.^2).*(((t.^2).*(vel.^2))+
((1+2*nn).*(offset(i).^2)))));
     ind=between(t(1),t(length(t)),tx,2);
     if all(ind), r(ind,i)=sinci(data(:,i),t,tx(ind));
end;
                                    -----
     ŝ
```

end;

Quadro 3: Correção de NMO a partir da equação de Alkhalifah & Tsvankin (1995)

```
function sc=agc(sinal),
% Parametros de apoio
x = [zeros(15,size(sinal,2)); sinal ;
zeros(15, size(sinal, 2))];
y = x;
r = zeros(size(x));
a = 2000;
b = 30;
sc = zeros(size(sinal));
% Cálculo do RMS
for i = 1:size(x,2);
    for j = (b/2) + 1: size (x, 1) - (b/2);
       aux = 0;
       RMS = 0;
       for k = j-b/2:j+b/2;
aux = aux + (x(k,i))<sup>2</sup>;
       end;
       RMS = sqrt(aux)/b;
if RMS~=0 y(j,i) = x(j,i)*a/RMS;
       else y(j,i) = x(j,i);
       end;
       r(j,i) = (RMS/a);
   end;
end;
r = r(16:15+size(sinal,1),:);
sc = y(16:15+size(sinal,1),:);
```

```
Quadro 4: Função de ganho variável (AGC)
```

```
function [R] =
semblance(data,offset,n_of_cmp,dt,V0,Vf,resp);
dti = size(data, 1) *0.02;
dv = (Vf - V0) * 0.02;
z = 0;
R = zeros(size(data,1),length(V0:dv:Vf));
for v = V0:dv:Vf,
        z = z + 1;
     if resp==1,
[f1,ve1_temp] =
nmo_vti(data(:,:,round(n_of_cmp/2)),offset,dt,v,0);
           f = agc(f1);
     elseif resp==2
           load velocity;
           [f,vel_temp] =
nmo_vti(data(:,:,round(n_of_cmp/2)),offset,dt,vel_stack,
v);
     end;
     for ii = 1:size(data,1),
          t1 = ii;
t2 = t1 + dti;
if t2 > size(data,1), t2 = size(data,1); end;
           var1 = 0;
           var2 = 0;
           for i = t1:t2,
                tempf = 0;
                temps = 0;
for j = 1:size(data,2),
    tempf = tempf + f(i,j);
    temps = temps + f(i,j)^2;
                end;
                var1 = var1 + (tempf)<sup>2</sup>;
var2 = var2 + temps;
           end;
if var2 == 0, var2 = 0.0000000001; end; % para
evitar o problema de divisao por zero
           num(ii) = var1;
           den(ii) = var2;
     end;
     ; % para evitar o problema de divisao
R(:,z) = (num')./((size(data,2))*den');
end;
end;
R = R.^{4};
```

```
Quadro 5: Função de semblance (Taner & Koehler, 1969)
```

```
[x,y] = getline;
disp('Saved velocities!');
j_file = round(y/dt);
v(j) = 0;
    end;
end;
v = v';
z = 0;
nzero = find(v);
if v(1) == 0,
    v(1) = x(1);
    i_nzero = 1;
    i_nzero1 = 1;
end;
for j = 1: length(v) - 1,
     [c,i1,i2] = intersect(j,nzero);
    if not(isempty(c)),
         k = c;
         i_nzero = i2;
         z = 0;
i_nzero1 = i_nzero + 1;
    else
         z = z + 1;
    end;
    v(nzero(i nzero));
         vvref = v(nzero(i_nzero));
         z = z;
if deltan ~= 0, vv(j) = vvref +
z*(deltavv/deltan);
else vv(j) = vvref;
         end;
    end;
end;
if resp==1,
vel_stack = [vv'; v(length(v))];
n_stack = zeros(size(vel_stack));;
elseif resp==2;
    load velocity;
n_stack = [vv'; v(length(v))];
end;
```

save velocity vel stack n stack data offset dt x y Quadro 6: Marcação dos valores de velocidade a partir do gráfico de semblance

```
script para rodar os Gradientes descendentes
0/0
% % Hiperbolico
% eq = 1;
% [a]=velangd(eq,data,dt,noff);
% t0_iso = sqrt(a(:,1))
% vnmo_iso = 1./sqrt(a(:,2))
2
% % Alkhalifah
eq = 2;
[a]=velangd(eq,data,dt,noff,x_events,t_events);
t0 = sqrt(a(:,1));
vrms = 1./sqrt(a(:,2));
eta = a(:,3);
vh = vrms(:).*sqrt(1+(2.*eta));
°
% % Perth
% eq = 3;
% [a]=velangd(eq,data,dt,noff);
% t0_perth = sqrt(a(:,1))
% vnmo_perth = 1./sqrt(a(:,2))
% vh_perth = 1./sqrt(a(:,3))
% eta_perth = a(:,4)
% % Castle
Ŷ
  eq = 4;
% [a]=velangd(eq,data,dt,noff,x_events,t_events);
% t0 = a(:,1);
% vrms = 1./sqrt(a(:,2));
% s = 1./a(:,3);
% eta = (s-1)./8;
% vh = vrms(:).*sqrt(1+(2.*eta));
2
% % VTI geral A e A4 - HORIZONTAL
% eq = 5;
% [a]=velangd(eq,data,dt,noff,x_events,t_events);
% t0 = sqrt(a(:,1));
% vrms = 1./sqrt(a(:,2));
% tempv = (a(:,3)./a(:,4)) + a(:,2);
% vh = 1./sqrt(tempv);
% eta = (((vh./vrms).^2) - 1)./2;
% % % VTI geral A e A4 - INCLINADO
% eq = 5;
% [a] =velangd(eq,data,dt,noff,x_events,t_events);
% t0 = sqrt(a(:,1));
% vrms = 1./sqrt(a(:,2));
% tempv = (a(:,3)./a(:,4)) + a(:,2);
% vh = 1./sqrt(tempv);
% eta = (((vh./vrms).^2) - 1)./2;
8 -----
    g _____
 vint(1) = vrms(1);
vint(1) = vrms(1);
vv(1) = vrms(1);
for q = 2:1,
    vint(q) = sqrt((((vrms(q)<sup>2</sup>)*t0(q))-((vrms(q-
1)<sup>2</sup>)*t0(q-1)))/(t0(q)-t0(q-1)));
    vv(q) = (vint(q)*(t0(q)-t0(q-1))+(vint(q-1)*t0(q-
1)))/(t0(q));
end;
for q = 1:1,
      q = 1:1,
epsilon1(q) = (vh(q)-vv(q))/(2*vv(q));
delta(q) = (((vrms(q)/vv(q))^2)-1)/2;
epsilon2(q) = (eta(q)*(1+(2*delta(q))))+delta(q);
delta2(q) = (((vint(q)/v0(q))^2)-1)/2;
epsilon3(q) = (eta(q)*(1+(2*delta2(q))))+delta2(q);
end
```

Quadro 7: Calculo dos parâmetros de processamento a partir da saída do gradiente descendente

```
function [J]=grad desc eq(eq,a0,x,b,k)
if eq == 1, % Hiperbolico
          J1 = (f-b)./mx;
J2 = (f-b).*(x.^2)./mx;
          J = [J1 \ J2];
elseif eq == 2, % Alkhalifah
fnum = 2.*(a0(2).^2)*a0(3)*(x.^4);
temp1 = 1+(2.*a0(3));
temp1 = 1+(2.*a0(3));
fden = a0(1) + (temp1.*a0(2)*(x.^2));
f = a0(1) + (a0(2).*(x.^2)) - (fnum./fden);
mx = 1 + (x.^2) + (x.^4);
J1 = ((f-b).*((1 + (fnum/(fden.^2))))./mx;
J2 = ((f-b).*((x.^2) - ((
(4.*a0(2).*a0(3).*(x.^4).*(fden)) -
(temp1.*2.*(a0(2).^2).*a0(3).*(x.^6))) ./ (fden.^2)))
))./mx;
J3 = ((f-b).*(- ( (2.*(a0(2).^2).*(x.^4).*(fden))
(4.*(a0(2).^3).*a0(3).*(x.^6)) ) ./ (fden.^2) ))./mx;
J = [J1 J2 J3];
0 = [];
v0 = k; % Editar para cada caso
fnum = (a0(3)-a0(2)).*2.*a0(4).*(x.^4);
fden = (a0(1).*(v0.^4).*(a0(3)-a0(2))) -
(2.*a0(4).*(x.^2));
(2.*a0(4).*(x.^2));
f = a0(1) + ((x.^2).*a0(2)) - (fnum./fden);
mx = 1 + (x.^2) + (x.^4);
J1 = ((f-b).*(1 + (((v0.^4)*(a0(3) -
a0(2)).*fnum)./(fden.^2))))./mx;
J2 = ((f-b).*((x.^2) - ( ( (-
2.*a0(4).*(x.^4).*(fden)) + (fnum.*(a0(1).*(v0.^4)))))./(fden.^2)))./mx;
J3 = ((f-b).*(- ((2.*a0(4).*(x.^4).*(fden)) -
('v0.^4).*a0(1).*(fnum))) / (fden.^2)))./mx;
((v0.^4).*a0(1).*(fnum)) ) / (fden.^2) ))./mx;

J4 = ((f-b).*(- ((2.*(a0(3)-a0(2)).*(x.^4)*(fden)))

+ ((x^2).*2.*(fnum)) ) / (fden.^2) ))./mx;
          J = [J1 \ J2 \ J3 \ J4];
elseif eq == 4,
                                             % Castle
          temp1 =
sqrt(((a0(1).^2).*(a0(3).^2))+(a0(2).*a0(3).*(x.^2)));
Sqft(((a0(1). 2).*(a0(3). 2))+(a0(2).*a0(3).*(X. 2))
m = ((1-a0(3)).*a0(1))+temp1;
mx = 1 + (x.^2);
J1 = ((m-b).*((1-
a0(3))+((a0(1).*(a0(3).^2))./temp1)))./mx;
J2 = ((m-b).*((0.5).*(x.^2).*a0(3)./temp1))./mx;
J3 = ((m-b).*(-
a0(3)).*(a0(3).*a0(3).*a0(2)).
a0(1)+(0.5.*((2.*(a0(1).^2).*a0(3))+((x.^2).*a0(2)))./te
mp1)))./mx;
          J = [J1 \ J2 \ J3];
          eif eq == 5, % VTI geral A e A4
fnum = a0(3)*(x^4);
elseif eq == 5,
          fden = 1 + (a0(4)*(x^2));
f = a0(1) + ((x^2)*a0(2)) + (fnum/fden);
mx = 1 + (x^2) + (x^4);
          \begin{array}{l} \text{IIIX} = 1 + (X_2) + (X_3), \\ \text{J1} = ((f-b)*1)/\text{mx}; \\ \text{J2} = ((f-b)*(x^2))/\text{mx}; \\ \text{J3} = ((f-b)*((x^4) / (fden)))/\text{mx}; \\ \text{J4} = ((f-b)*(-((x^2)*(fnum)) / (fden^2)))/\text{mx}; \\ \end{array} 
          J = [J1 \ J2 \ J3 \ J4];
```

end;

Quadro 8: Cálculos dos gradientes das funções de análise de velocidade para utilização no método.