- [Abeles76] F. Abeles. Surface electromagnetic waves ellipsometry. Surf. Sci., 56:237–251, 1976.
- [Bishop11] C. Bishop. Vacuum deposition onto webs, films, and foil. Elsevier Inc, Oxford, 2011.
- [Brennan99] K. Brennan. The physics of semiconductors: With applications to optoelectronic devices. Cambridge University Press, Cambridge, 1999.
- [Bruijn90] H. Bruijn, S. Altenburg, P. Kooyman and J. Greve. **Determination of dielectric permittivity and thickness of a metal layer from a surface plasmon resonance experiment**. *Appl. Opt.*, 29:1974, 1990.
- [Bruijn91] H. Bruijn, S. Altenburg, P. Kooyman and J. Greve. **Determination of thickness and dielectric constant of thin transparent dielectric layers using surface plasmon resonance**. *Opt. Comm.*, 82:425–432, 1991. I, II.3(c), 2,
- [Bur95] BurrBrown. **Photodiode monitoring with op amps**. Burr-Brown AB-075, 48:1, 1995.
- [Celii97] F. Celii, T. Harton and F. Philips. Characterization of organic thin films for oleds using spectroscopic ellipsometry. J. Electron. Mater., 26(4):366–371, 1997.
- [Chen81] W. Chen and J. Chen. Use of surface plasma waves for determination of the thickness and optical constants of thin metallic films. J. Opt. Soc. Am., 71:189–191, 1981.
- [Dalansinki04] P. Dalansinki and et all. **Photoluminescence**, optical transmission and reflection of alq3 layers obtained by thermal evaporation deposition. *Opto-Electronics Review*, 2:429, 2004.

[Dalansinski04] A. Djusiric and et al. Photoluminescence, optical transmission and reflection of alq3 layers obtained by thermal evaporation deposition. Opto-Electronics Review, 12(4):429–434, 2004.

- [Damos05] F. Damos, L. Rita and L. Kubota. **Determination of thickness**, dielectric constant of thiol films, and kinetics of adsorption using surface plasmon resonance. *Langmuir*, 21:212–220, 2005.
- [Djusiric02] A. Djusiric and et al. **Spectroscopic ellipsometry of the optical functions of tris (8-hydroxyquinoline) aluminum (alq3)**. Thin Solid Films, 416:233–241, 2002.
- [Djurisic03] A. Djurisic and et all. **Optical functions of tris (8-hydroxyquinoline) aluminum (alq3) by spectroscopic ellipsometry**. *Appl. Phys. A*, 10:219, 2003.
- [ElNahass10] M. El-Nahass, A. Farid and A. Atta. Structural and optical properties of tris(8-hydroxyquinoline) aluminum (iii) (alq3) thermal evaporated thin films. J. Alloys Compd., 507:112–119, 2010.
- [Fano41] U. Fano. The theory of anomalous diffraction gratings and of quasi-stationary waves on metallic surfaces (sommerfeld's waves). J. Opt. Soc. Am., 31(3):213–222, Mar 1941.
- [Gevelber04] M. Gevelber. Improving rate control in electron-beam evaporated optical coatings: the role of arcing and controller tuning. the Society of Vacuum Coaters 47th Annual Technical Conference Proceedings, 1:395–401, 2004.
- [Hassan07] A. M. Hassan. Theoretical, experimental, device fabrication, and degradation studies of materials for optoelectronics devices. PhD thesis, Chemistry Department, University of Southern California, USA, 2007.
- [Hecht06] L. e. a. Hecht. **Principles of nano-optics**. University Press, Cambridge, 2006.
- [Homola06] J. . Homola. Surface plamon resonance based sensors. Springer, Berlin, 2006.
- [Jackson99] J. Jackson. Classical electrodynamics. John Wiley & Sons, New Tork, 1999.

[Jenkins01] F. Jenkins and H. White. **Fundamentals of optics**. McGraw Hills, New —york, 2001.

- [Johnson72] P. Johnson and R. Christy. optical constant of the noble metals. *Phys. Rev. B*, 6:12, 1972.
- [Jung06] P. Dalansinki and et all. **Determination of an optimized alq3** layer thickness in organic light-emitting diodes by using microcavity effects. *Journal of the Korean Physical Society*, 48:1281, 2006.
- [Kanso07] M. Kanso, S. Cuenot and G. Louarn. Roughness effect on the spr measurements for an optical fibre configuration: Experimental and numerical approaches. J. Opt. A: Pure Appl. Opt., 9:586-592, 2007.
- [Kittel96] . Kittel. Introduction to solid state physics. John Wiley& Sons, New York, 1996.
- [Kolosov01] D. Kolosov, V. Bulovic, P. Barbara, S. Forrest and M. Thompson. Direct observation of structural changes in organic light emitting devices during degradation. J. Appl. Phys., 90:3242, 2001.
- [Kret68] E. Kretshmann and Raether. Radiative decay of nonradiative surface plasmons excited by light. Z. Naturforsch. A, 23:2135, 1968.
- [Kret71] E. Kretshmann. The determination of the optical constants of metals by excitation of surface plasmons. Z. Phys., 241:313–324, 1971.
- [Kumar05] S. Kumar, V. Ahukla and A. Tripathi. Ellipsometric investigations on the light induced effects on tris(8-hydroxyquinoline) aluminum (alq3). Thin Solid Films, 477:240–243, 2005.
- [Liang10] H. Liang, H. Miranto and N. e. a. Granqvist. Surface plasmon resonance instrument as a refractometer for lliquids and ultrathin films. Sensor and Actuators B, 49:212–220, 2010.
- [Liedeberg82] C. Nylander and B. Liedeberg. Gas detection by means of surface plasmon resonance. Sens. Actuators, A, 54:79–88, 1982. I
- [Ligler95] F. Ligler and A. Rowe. **Optical biosensors: Present and future**. Elsevier Science, New Tork, 2002.

[Maier07] S. Maier. **Plasmonics: Fundamentals and applications**. Springer, New Tork, 2007.

- [Marder00] M. Marder. Condensed matter physics. JohnWiley & Sons, New York, 2000.
- [Mattox10] D. Mattox. Handbook of physical vapor deposition (pvd) processing. Elsevier Inc, Oxford, 2010.
- [McAneney09] J. McAneney. Monitoring ag2s growth with surface plasmon resonance. Master's thesis, Department of Physics and Astronomy, Queen's University Belfast, UK, 2003.
- [Mehan05] N. Mehan, Gupta and et al. Surface plasmon resonance based refractive index forlliquids. *Indian J. Pure Appl. Phys.*, 43:854–858, 2005.
- [Mencuccini95] C. Mencuccini and V. Silvestrini. Fisica ii elettromagnetismo ottica. Liguori Editore, Napoli, 1995.
- [Meyer05] C. Himcinschi, N. Meyer and et al. **Spectroscopic ellipsometric** characterization of organic films obtained via organic vapor phase deposition. *Appl. Phys. A*, 80:551–555, 2005.
- [Mitchell10] J. Mitchell. Small molecule immunosensing using surface plasmon resonance. Sensors, 54(7):7323, 2010.
- [Muhammad11] F. Muhammad and K. Sulaiman. Utilizing a simple and reliable method to investigate the optical functions of small molecular organic films alq3 and gaq3 as examples. Measurement, 44:1468–1474, 2011.
- [Ordal95] M. Ordal, R. Bell, R. Alexander, L. Long and M. Querry. **Optical** properties of fourteen metals in the infrared and far infrared: Al, co, cu, au, fe, pb, mo, ni, pd, pt, ag, ti, v, and w. Appl. Opt., 24(24):4493, 1985.
- [Otto68] A. Otto. Excitation of nonradiative surface plasma waves in silver by the method of frustrated total reflection. Zeitschrift fur Physik, 216(4):398–410, 1968.
- [Ozdemir03] S. Ozdemir and G. Turhan-Sayan. **Temperature effects on surface plasmon resonance: Design considerations for an optical temperature sensor**. *Journal of Lightwave Technology*, 21:805, 2003.

[Palik98] E. Palik. **Handbook of optical constants of solids ii**. AcademicPress, San Diego, CA, 1998.

- [Pan09] M. Pan. Using multiple layers and surface roughness control for improving the sensitivity of spr sensors. Master's thesis, School of Mechanical Engineering, University of Birmingham, UK, 2003.
- [Pascu12] R. Pascu and M. Dinescu. Spectroscopy ellipsometry. Romanian Reports in Physics, 64:429–434, 2012.
- [Peter96] K. Peterlinz and R. Georgiadis. Two-color approach for determination of thickness and dielectric constant of thin films using surface plasmon resonance spectroscopy. Opt. Commun., 130:260–266, 1996.
- [Pockrand78] E. Kretshmann. Surface plasma oscillations at silver surfaces with thin transparent and absorbing coatings. Surf. Sci., 72:577–588, 1978.
- [Pochi88] Y. Pochi. Optical waves in layered media. JohnWiley and Sons, New Tork, 1988.
- [Popovic02] D. Popovic and H. Aziz. Study of organic light emitting devices with a 5,6,11,12-tetraphenylnaphthacene (rubrene)-doped hole transport layer. Appl. Phys. Lett., 80:2180–2182, 2002.
- [Raether77] H. Raether. Surface plasmon oscillations and their applications, volume 9. Academic Press Inc, London, 1977.
- [Raether88] H. Raether. Surface plasmons on smooth and rough surfaces and on gratings, volume 111. Springer Tracts in Modern Physics, Berlin, 1988.
- [Rit52] R. H. Ritchie. Plasma losses by fast electrons in thin films. Phys. Rev., 106:874–881, Jun 1957.
- [Rosselli09] F. Roselli and et al. Experimental and theoretical investigation of tris-(8-hydroxy-quinolinate) aluminum (alq3) photo de-gradation. Org. Electron., 10:116, 2009.
- [Rueda09] S. Rueda, N. Vogel and K. M. Characterization of gold films by surface plasmon spectroscopy: Large errors and small con-sequences. Surf. Science, 603:491–497, 2009.

[Schaer01] M. Schaer, F. Nuesch, D. Berner, W. Leo and L. Zuppiroli. Water vapor and oxygen degradation mechanisms in organic light emit-ting diodes. *Adv. Funct. Mater.*, 11:116, 2001.

- [Serne01] E. Sernelius. Surface modes in physics. Wiley-Vch, Berlin, 2001.
- [Simon 75] H. Simon, D. Mitchell and J. Watson. Surface plasmons in silver films a novel undergraduate experiment. Am. J. Phys., 43:1974, 1975.
- [Turak02] A. Turak and et al. Metal/alq3 interface structures. Appl. Phys. Lett., 81(4):766–768, 2002.
- [Wood02] R. W. Wood. On a remarkable case of uneven distribution of light in a diffraction gratting spectrum. *Pros. Phys. Soc. London*, 18:269–275, 1902.
- [Zawadka14] A. Zawadka and et al. Photophysical properties of alq3 thin films. Opt. Mater. l, 10:91, 2014.
- [Zhu86] S. Zhu and et al. Frustated total internal reflection: A demostration and review. Am.J. Phys., 54(7):601–606, 1986.
- [Kostruba97] A. Kostruba and G. Vlokh. Accuracy of traditional ellipsometry and complex ellipsometry-transmission photometry techniques for absorptive-film/transparent-substrate systems. *Proc. SPIE*, 3094:266–271, 1997.
- [Trugler11] A. Trugler. **Optical properties of metallic nanoparticles**. PhD thesis, *Institut fur Physik*, *UniGraz*, 2011. (document),

## A Relations between angles in a isosceles prism

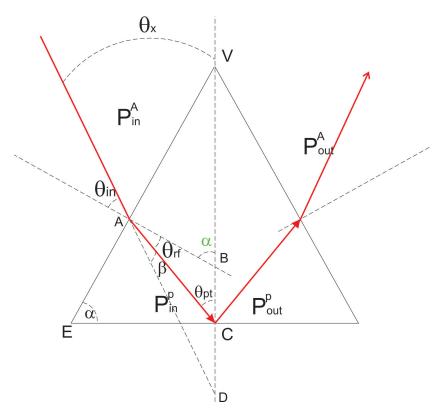


Figure A.1: Light beam impinges on prism. The characteristic angle of prism is alpha

Considering the triangle ACD, we have

$$\theta_x + (180 - \theta_{pt}) + \beta = 180, \tag{1}$$

$$\theta_x = \theta_{pt} - \beta. \tag{2}$$

At the interface(Point A), we have

$$\beta = \theta_{in} - \theta_{rf},\tag{3}$$

and from Snell's law, considering a ray of light moving from air to prism,

with  $(n_1 = 1, n_p = \text{refractive index of prism})$ 

$$\frac{\sin \theta_{in}}{\sin \theta_{rf}} = n_p \qquad \Rightarrow \qquad \theta_{in} = \arcsin \left( n_p \sin \theta_{rf} \right). \tag{4}$$

By the use of (1), (3) and (4) we obtain

$$\theta_x = \theta_{pt} + \theta_{rf} - \arcsin\left(n_p \sin \theta_{rf}\right). \tag{5}$$

The line AB is perpendicular to the line EA, and the line EC is perpendicular to the line BC, then the angle ABV is  $\alpha$ . So, in the triangle ABC

$$\theta_{rf} + \theta_{pt} + 180 - \alpha = 180 \qquad \Rightarrow \qquad \theta_{pt} = \alpha - \theta_{rf}, \tag{6}$$

and the angle  $\theta_x$  is given by equation

$$\theta_x = \alpha - \arcsin\left(n_2 \sin\left(\alpha - \theta_{pt}\right)\right).$$
 (7)

From the last equation, and using the relation (4), the relation between  $\theta_{in}$  and  $\theta_x$  is given by

$$\theta_x = \alpha - \theta_{in}. \tag{8}$$

The relation between  $\theta_{pt}$  and  $\theta_x$  is obtained inverting equation (7),

$$\theta_{pt} = \alpha - \arcsin\left(\frac{1}{n_2}\sin\left(\alpha - \theta_x\right)\right).$$
 (9)

# A.1 Correction factor for the reflections of the beams at air/prism interfaces

From the Fresnel equations [Jackson99], for TM polarization the transmission coefficient from air to prism

$$t_{A,P} = \frac{2\sin\theta_{rf}\cos\theta_{in}}{\sin(\theta_{in} + \theta_{rf})\cos(\theta_{in} - \theta_{rf})},\tag{10}$$

and from the prism to air is

$$t_{P,A} = \frac{2\sin\theta_{in}\cos\theta_{rf}}{\sin(\theta_{rf} + \theta_{in})\cos(\theta_{rf} - \theta_{in})},$$
(11)

where  $\theta_{in}$ ,  $\theta_{rf}$  are the incident and refracted angle respectively. The

fraction of the incident intensity that is transmitted when light enters a dieletric of refractive index n is not given directly by the square of the relative amplitude. The total energy flux in the refracted beam is its intensity times its area, and the latter differs from that of the incident or reflected beams in the ratio  $\cos \theta_{rf}/\cos \theta_{in}$  [Jenkins01]. The conservation of energy is given by

$$r^2 + n \frac{\cos \theta_r}{\cos \theta_i} t^2 = 1 \tag{12}$$

In our case is necessary consider two cases: light propagates from air to prism (case I) and light propagates from prism to air (case II). For the first case

$$P_{in}^{p} = P_{in}^{A} \frac{\cos \theta_{rf}}{\cos \theta_{in}} t_{A,P}^{2}, \tag{13}$$

for the second case

$$P_{out}^{A} = \frac{P_{out}^{P}}{n_{p}} \frac{\cos \theta_{in}}{\cos \theta_{rf}} t_{P,A}^{2}.$$
 (14)

In equations (13), (14)  $P^A$  is the power measured in the air and  $P^p$  is the power inside the prism, as sketched in figure A.1. Applying equations (10) and (12) to the relations (13) (14), the incident power inside the prism is described by

$$P_{in}^{p} = \left[ n_{p} \frac{4 \sin^{2} \theta_{ref} \cos^{2} \theta_{in}}{\sin^{2} (\theta_{ref} + \theta_{in}) \cos^{2} (\theta_{in} - \theta_{ref})} \right] \frac{\cos \theta_{ref}}{\cos \theta_{in}} P_{in}^{p}, \tag{15}$$

while the power detected by the home-made detector is

$$P_{out}^{A} = \left[ \frac{4\sin^{2}\theta_{in}\cos^{2}\theta_{ref}}{n_{p}\sin^{2}(\theta_{ref} + \theta_{in})\cos^{2}(\theta_{ref} - \theta_{in})} \right] \frac{\cos\theta_{in}}{\cos\theta_{ref}} P_{out}^{p}.$$
(16)

The actual reflectivity inside the prism is  $R_A$ , defined as  $P_{out}^p/P_{in}^p$ , whereas and the reflectivity measured directly in the laboratory is  $R_M$ , defined as  $P_{out}^A/P_{in}^A$ . The relation between the reflectivities is

$$R_A = \frac{\sin^4(\theta_{ref} + \theta_{in})\cos^4(\theta_{in} - \theta_{ref})}{\sin^2(2\theta_{ref})\sin^2(2\theta_{in})} R_M$$
 (17)

### В

### Text of the Program for the Two-(Substrates, Colors, Media) Method

This program was developed in Mathematica 8.0. It is assumed a system of four layers (prism, metal, dielectric  $(Alq_3)$  and solvent (or air)). The first part is to define the characteristics of the system. The angles are obtained from Winspall.

The definition of the system

#### Parameters of the first measurement

```
(*Sample1*) (*Silver*)
(*Ressonance conditions*)
alphalmetal := 44.994 Degree (* Prism angle for the case without dielectric*)
(*Just need to change the number, don't delete the word Degree*)
thetax1metal := 38.6714 Degree (*ressonance angle,
SP without dielectric, thetax from winspall*)
alpha1alq3 := 45.0655 Degree
                                (* Prism angle for the case with dielectric*)
thetax1alq3 := 44.454 Degree
                              (*ressonance angle,
SP with dielectric ,thetax from winspall*)
lambda1 := 632.8
                                   (*Wavelenght of the laser used on sample1*)
               (* absolute value of real part
er1 := 17.24
 of metal dielectric function of sample 1 at lambda 1*)
er1i := 0.70
                 (* imaginary part of metal
 dielectric function of sample 1 at lambda 1*)
                      (*Dielectrio function of medium 4*)
n1 := 1.574
                    (*Refractive index of the prism at Lambdal*)
                      (* Parameter used to shift the dielectric function
a1 := 0
                                  when lambda1 is different of lambda 2*)
                     (*use it just when you have two wavelenghts or two thickness.
                       It is related with difference between dielectric fuctions*)
```

#### Parameters of the second measurement

```
(*Sample2*) (*Gold*)
(*Ressonance conditions*)
alpha2metal := 44.952 Degree
(* Prism angle for the case without dielectric*)
                             (*Just need to change the number,
don't delete the word Degree*)
thetax2metal := 39.95 Degree (*ressonance angle, SP without dielectric,
                                                  thetax from winspall*)
alpha2alq3 := 44.891 Degree
                                (* Prism angle for the case with dielectric*)
thetax2alq3 := 48.0553 Degree
                                (*ressonance angle, SP with dielectric,
                                                  thetax from winspall*)
                     (* absolute value of real part
lambda2 := 632.8
             of metal dielectric function of sample 2 at lambda 2*)
er2 := 11.76
              (* lambda2 Angstrom*)
er21 := 1.57
(* imaginary part of metal dielectric function of sample 2 at lambda 2*)
                  (* Dielectric function of medium 4 at lambda2*)
e42 := 1
             (*Refractive index of the prism at Lambdal*)
n2 := 1.574
           (* Parameter used to shift the dielectric function
                                  when lambda1 is different of lambda 2*)
                     (*use it just when you have two wavelenghts or two thickness.
                       It is related with difference between dielectric fuctions*)
```

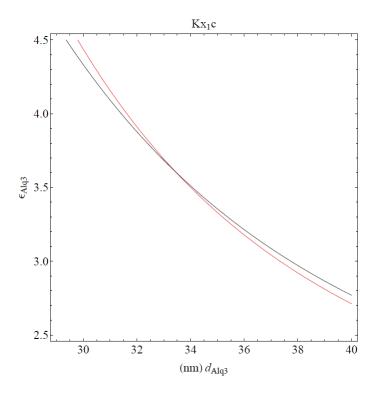
#### Definition of the functions [Pockrand78]

```
(*Functions*)
(*the angle of incidence on metal *)
(*thetapt *)
thetapt [alpha_, n_, thetax_] := alpha - ArcSin\left[\frac{Sin[alpha - thetax]}{n}\right]
(*the wavector *)
(*Difference in the wavector due dielectric layer in sample1*)
deltak1 := kx[alpha1alq3, n1, thetax1alq3, lambda1] -
                                  kx[alphalmetal, n1, thetax1metal, lambda1]
(*Difference in the wavector due dielectric layer in sample2*)
deltak2 := kx[alpha2alq3, n2, thetax2alq3, lambda2] -
                                  kx[alpha2metal, n2, thetax2metal, lambda2]
(*This equations are presented in a paper by Pockrand in 78*)
(*SPR condition. Metal and 4 layer*)
kx0[lambda_{,} er_{,} eri_{,} e4_{]} := \left(\frac{2*Pi}{lambda}\right)*\left(\frac{(-er+eri*I)*e4}{(-er+eri*I)+e4}\right)^{1/2}
(*First order term of the shift of the wavevector
Kx1c[lambda_, er_, e3_, d3_, a_, e4_] := d3 * \left(\frac{2*P1}{lambda}\right)^2 * \left(\frac{(e3+a)-e4}{(e3+a)}\right) *
                                                     \left(\frac{-\operatorname{er} \star \operatorname{e4}}{-\operatorname{er} + \operatorname{e4}}\right)^2 \star \left(\frac{(\operatorname{e3} + \operatorname{a}) + \operatorname{er}}{\operatorname{e4} + \operatorname{er}}\right) \star (\operatorname{er} \star \operatorname{e4})^{-1/2}
(*Second order term of the shift of the wavevecto
Kx2c[lambda_, er_, eri_, e3_, d3_, a_, e4_] := Kx1c[lambda, er, e3, d3, a, e4] *
          \left(\frac{\text{Kx1c[lambda, er, e3, d3, a, e4]}}{2 * \text{Re[kx0[lambda, er, eri, e4]]}} * \left(2 * \frac{2 * \text{e4}^2 - (\text{e3 + a})^2}{\text{e4} * (\text{e4 - (e3 + a)})} + \frac{-\text{er + e4}}{-\text{e4}}\right) + \frac{\text{I * eri}}{2 * \text{er}}\right)
```

### Generating graphics

```
(*Graphics: You can change the interval for d3, e3*)
 (*KX1C*)
ContourPlot[{ Kx1c[lambda1, er1, e3, d3, a1, e41] == deltak1,
                     Kx1c[lambda2, er2, e3, d3, a2, e42] == deltak2
                          , \{d3, 29, 40\}, \{e3, 2.5, 4.5\}, WorkingPrecision \rightarrow MachinePrecision,
             \texttt{ContourStyle} \rightarrow \{\texttt{Red}, \, \texttt{Black} \, \}, \, \, \texttt{FrameLabel} \rightarrow \left\{ \, \left\{ \varepsilon_{\texttt{Alq3}} \, , \, \, \text{""} \right\}, \, \left\{ d_{\texttt{Alq3}} \, \, \text{"(nm)", "} \, \text{"Kx$_1$c"} \right\} \right\},
             LabelStyle → Directive[22]
(*KX1C+KX2C*)
ContourPlot[{ Kx1c[lambda1, er1, e3, d3, a1, e41] +
     Re[Kx2c[lambda1, er1, er11, e3, d3, a1, e41]] == deltak1,
                        Kx1c[lambda2, er2, e3, d3, a2, e42] +
      Re[Kx2c[lambda2, er2, er21, e3, d3, a2, e42]] == deltak2
                           , \{d3, 18, 30\}, \{e3, 2.3, 4.5\}, WorkingPrecision \rightarrow MachinePrecision,
 ContourStyle → {Red, Black},
                        FrameLabel \rightarrow \{ \{ \epsilon_{Alq3}, "" \}, \{ d_{Alq3} \}
                                                                        "(nm)", "Kx_1c+Kx_2c"}},
                        LabelStyle → Directive[22]]
(*Green, Red→Silver, Red Black→ Gold*)
```

Using the first order term in the approximation. Curves obtained with the mean values of the dielectrics function of Silver and Gold as a reported in table V.5.



Using the second order term in the approximation Curves obtained with the mean values of the dielectrics function of Silver and Gold as a reported in table V.5. The intersection point is (23.03 nm, 3.214)



