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A
Apêndice

Nomeclatura

$\mathcal{B}$: Conjunto de bolas em $\mathbb{R}^3$

$\mathcal{C}$: Componente Regular de $\mathcal{S}$

$\partial\mathcal{C}$: Bordo da Componente Regular de $\mathcal{S}$

$DT(S)$: Triangulação de Delaunay de $\mathcal{S}$

$\mathcal{R}(\mathcal{S})$: Triangulação Regular de $\mathcal{S}$

e, e_v : Aresta do $Vor(\mathcal{V})$

$\mathcal{O}$: Objeto

$Pow(\mathcal{B})$: Diagrama de Potência do conjunto $\mathcal{B}$

S : Conjunto de pontos

$\mathcal{S}$: α-shape

s_T : Face do $\partial\mathcal{U}$

σ_T : simplexo no $\partial\mathcal{S}$, com dual s_T

$\mathcal{U}$: União das Bolas

$\partial\mathcal{U}$: Bordo da União das Bolas

v : Vértices do $\partial\mathcal{U}$

$\mathcal{V}$: Vértices da União de Bolas

$Vor(v)$: Diagrama de Voronoi de v

$Vor(\mathcal{V})$: Diagrama de Voronoi de $\mathcal{V}$

$\mathcal{X}$: Eixo Medial

$|,|$: Distância Euclidiana